Study Guide

| What you need to know | Things to remember |  | mples |
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| Convert by dimensional analysis | The unit that is in the numerator in one place is used in the denominator next. | 1. Convert 8.2 weeks to years | 2. Convert 56.7 yards to inches |
|  |  | 3. Convert 5.2 gallons to cups | 4. Convert 12.6 ounces to pounds |
|  | For metric conversions, KHDBDCM can be used for finding the movement of the decimal. | 5. Convert 23.2 cm to dam | 6. Convert . 552 g to mg |
|  | For mixed conversions, the conversion factor will be provided. | 7. Convert 15.5 feet to meters. Use 1 inch = 2.54 cm . | 8. Convert 55 kg to pounds. Use 1 ounce = 28.35 grams. |
| Rate Conversions | The unit of a rate is always (something) PER (something). Make a fraction with the $1^{\text {st }}$ unit in the numerator and the $2^{\text {nd }}$ unit in the denominator. | 9. Dijah can drive 320 miles on 10.5 gallons of gas. How many kilometers can she drive on 15 L ? Use $5 \mathrm{~km}=3.1$ miles and $1 \mathrm{~L}=1.05 \mathrm{Qt}$ | 10. Ms. Morton can run 2 miles in 16 minutes and 15 seconds. How fast is she running in miles per hour? |
| Identifying Parts of Expressions | Coefficients are numbers related to the variable. Constants do not have a variable. For both, we include the sign in front of the number. | 11. Identify the terms, coefficients, constants, and factors of the expression. $5 x^{3}-2 x y+4.8$ | 12. Identify the terms, coefficients, constants, and factors of the expression. $7 x^{2}-4+3 x y-9.2 x$ |

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| Writing Expressions from a Scenario | Look for key words to decide which operation to use. | 13. 7 less than the product of negative eight and a number. | 14. The quotient of a number squared and 4 times a number. |
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|  |  | 15. You are buying $x$ oranges for $\$ .25$ each. You then pay 4\% tax and and a $\$ 2$ tip to the bagger to take the groceries to your car. | 16. You are washing cars for a fundraiser. You make \$8 per car and \$20 in tips. |
| Simplifying Radicals | Factor into PRIMES $(2,3,5,7,11, \ldots)$ <br> For each pair, only 1 is outside the radical. | 17. $\sqrt{360 x^{3} y^{2}}$ | 18. $4 x y \sqrt{900 x^{4} y^{6}}$ |
| Multiplying Radicals | Multiply the coefficients. Factor the radicands into primes and combine them under one radical to simplify. | 19. $\sqrt{63 x^{2} y} \cdot \sqrt{14 y^{3}}$ | 20. $3 x \sqrt{15 x} \cdot 2 \sqrt{10 x^{2}}$ |
| Adding/Subtracting Radicals | Simplify radicals separately. Combine ONLY if they have the same radicand. | 21. $2 \sqrt{6}-3 \sqrt{4}-3 \sqrt{24}$ | 22. $-5 \sqrt{27}+2 \sqrt{12}+\sqrt{8}$ |
| Adding/Subtracting Polynomials | Combine like terms. IF SUBTRACTION, change <br> all signs behind the subtraction before CLT. <br> Put in order by descending exponents. | 23. $5 x^{2}-2 x+3 x^{2}+7 x$ | 24. $\left(2 x^{2}-4\right)-(3 x-7)$ |
| Multiplying Polynomials | Distribute to every part of each expression. Use distribution or concrete model when 2 binomials. | 25. $8 x \cdot-3 x$ | 26. $7 x(3 x-5)$ |
|  |  | 27. $(2 x+3)(3 x-4)$ | 28. $(3 x-6)(3 x+6)$ |
| Operations of Rational and Irrational Numbers | Rational numbers can be represented as a ratio of INTEGERS. These include fractions, terminating, and repeating decimals. | 29. What kind of number is the sum of a rational and irrational number? Give an example. | 30. What kind of number is the product of an irrational and an irrational number? Give an example? |
| Applications of Expressions | $\begin{gathered} \hline \text { Perimeter = ADD UP ALL } \\ \text { SIDES } \\ \text { Area = USE FORMULA } \end{gathered}$ | 31. Find the perimeter of the figure below. | 32. Find the area of the figure below. |

